

لكي لا نكون عرضة لخسارة درجة الواجب جميعا

رجاءا نسخ الحل عن طريق

1. فتح ملف وورد جديد

2. ثم تضليل الحل و نسخه الى الملف الجديد و تغيير ما يلزم

3. و استخدام حفظ باسم

لكي يتم ازالة معلومات الملف القديم

**17.28.** A file has  $r = 20,000$  STUDENT records of *fixed length*. Each record has the following fields: Name (30 bytes), Ssn (9 bytes), Address (40 bytes), PHONE (10 bytes), Birth\_date (8 bytes), Sex (1 byte), Major\_dept\_code (4 bytes), Minor\_dept\_code (4 bytes), Class\_code (4 bytes, integer), and Degree\_program (3 bytes). An additional byte is used as a deletion marker. The file is stored on the disk whose parameters are given in Exercise 17.27.

- Calculate the record size  $R$  in bytes.
- Calculate the blocking factor  $bfr$  and the number of file blocks  $b$ , assuming an unspanned organization.
- Calculate the average time it takes to find a record by doing a linear search on the file if
  - the file blocks are stored contiguously, and double buffering is used;
  - the file blocks are not stored contiguously.
- Assume that the file is ordered by Ssn; by doing a binary search, calculate the time it takes to search for a record given its Ssn value.

(a)

$$R = (30 + 9 + 40 + 10 + 8 + 1 + 4 + 4 + 4 + 3) + 1 = 114 \text{ bytes}$$

(b)

**Solution:** Blocking factor  $bfr = \text{floor}(B/R) = \text{floor}(512/114) = 4$  records per block  
Number of blocks needed for file =  $\text{ceiling}(r/bfr) = \text{ceiling}(20000 / 4) = 5000$  blocks

(c) For linear search we search on average half the file blocks =  $5000/2 = 2500$  blocks.  
i. If the blocks are stored consecutively, and double buffering is used, the time to read 2500 consecutive blocks

From previous exercise

Rotational delay (rd) = 12.5 msec

Block transfer rate (btr) = 409.6 bytes/msec

Block transfer time (btt) = 1 msec

$$\begin{aligned} & \text{(k is the number of cylinders required for 2500 blocks)} \\ & = ks + rd + (2500 * (B/btr)) = 5 * 30 + 12.5 + (2500 * (512/409.6)) \\ & = 3287.5 \text{ msec} = 3.2875 \text{ sec} \end{aligned}$$

$$\text{(a less accurate estimate is } = s + rd + (2500 * btt) = 30 + 12.5 + 2500 * 1 = 2542.5 \text{ msec)}$$

ii. If the blocks are scattered over the disk, a seek is needed for each block, so the time is:  $2500 * (s + rd + btt) = 2500 * (30 + 12.5 + 1) = 108750 \text{ msec} = 108.75 \text{ sec}$

(d) For binary search, the time to search for a record is estimated as:  
 $\text{ceiling}(\log_2 b) * (s + rd + btt) = \text{ceiling}(\log_2 5000) * (30 + 12.5 + 1) = 13 * 43.5 = 565.5 \text{ msec} = 0.5655 \text{ sec}$

**17.38.** Suppose that we have a hash file of fixed-length records, and suppose that overflow is handled by chaining. Outline algorithms for insertion, deletion, and modification of a file record. State any assumptions you make.

Over flow is handled by chaining. Means, in a bucket. Multiple blocks are chained together and attached by a number of over flow buckets together.

In a hash structure. The insertion is done like this

Step 1:

Each bucket  $j$  stores a value  $i_j$  all the entries that point to the same bucket have the same values on the first  $i_j$  bits

Step 2:

To locate the bucket containing search key  $k_j$ ;

– Compute  $H(k_j) = X$

– Use the first  $i$  high order nits of  $X$  as a displacement in to the bucket address table and follow the pointer to the appropriate bucket.

Step 3: T inserts a record with search key value  $k$ ;

– Follow lookup procedure to locate the bucket, say  $j$

– If there is room in bucket  $j$ , insert the record

– Otherwise the bucket must be split and insertion reattempted.

**17.43.** Suppose we have a sequential (ordered) file of 100,000 records where each record is 240 bytes. Assume that  $B = 2400$  bytes,  $s = 16$  ms,  $rd = 8.3$  ms, and  $btt = 0.8$  ms. Suppose we want to make  $X$  independent random record reads from the file. We could make  $X$  random block reads or we could perform one exhaustive read of the entire file looking for those  $X$  records. The question is to decide when it would be more efficient to perform one exhaustive read of the entire file than to perform  $X$  individual random reads. That is, what is the value for  $X$  when an exhaustive read of the file is more efficient than random  $X$  reads? Develop this as a function of  $X$ .

**Solution:** Total blocks in file = 100000 records \* 240 bytes/record divided by 2400 bytes/block = 10000 blocks.

Time for exhaustive read =  $s + rd + b*btt = 16 + 8.3 + (10000) * 0.8 = 8024.3$  msec

Let  $X$  be the number of records searched randomly that takes more time than exhaustive read time. Hence,  $X(s + r + btt) > 8024.3$

$X(16 + 8.3 + 0.8) > 8024.3$

$X > 8024.3/25.1$  Thus,  $X > 319.69$

i.e. If at least 320 random reads are to be made, it is better to search the file exhaustively.